

## Exponents & Square Roots

### Vocabulary:

1. **Exponent:** part of a power that tells you how many times to use the base as a factor (multiplication)
2. **Negative exponent:** tells you that a power is less than one and should be written as a *fraction*
3. **Scientific Notation:** a way to write very large or very small numbers using powers of ten
4. **Linear:** forms a straight line
5. **Rational Number:** any number that can be written as a ratio (fraction)
6. **Irrational Number:** any number whose decimal form never repeats and never ends (most common:  $\sqrt{2}$ ,  $\pi$ )

### Symbols:

$\sqrt{\quad}$  means **Find the square root** (which number multiplied by itself produces the number inside the box)

$\sqrt[3]{\quad}$  means **Find the cubed root** (which number multiplied by itself 3 times would produce the number inside the box)

### MGSE8.EE.1 – Properties of Exponents

#### Review Tips: Exponent Rules

**Multiplying:** Keep the base number, add the exponents [Example:  $a^2 \bullet a^5 = a^{2+5} = a^7$ ]

**Dividing:** Keep the base number, subtract the exponents [Example:  $\frac{b^{10}}{b^4} = b^{10-4} = b^6$ ]

**Negative:** move the power across the division bar and change the exponent from negative to positive [Example:  $x^{-4} = \frac{1}{x^4}$ ]

**Zero:** any number (except zero) to the zero power = 1 [Example:  $4^0 = 1$ ,  $200^0 = 1$ ,  $(-9)^0 = 1$ ]

**Different Base Powers:** the exponents of different bases **cannot** be combined. [Example:  $a^3b^4 = a^3b^4$ ]

#### Practice Problems:

❶ Evaluate:  $4^2 \cdot 4^2$

- A.  $16^4$
- B. 256
- C. 1
- D. 65,536

❷ Evaluate:  $\frac{3^7}{3^5}$

- A. 36
- B.  $\frac{1}{9}$
- C. 9
- D.  $3^{12}$

❸ Evaluate:  $4^{-3}$

- A. 64
- B. -64
- C. -12
- D.  $\frac{1}{64}$

❹ Evaluate:  $58^0$

- A. 1
- B. 58
- C. 0
- D. -58

### MGSE8.EE.2 – Perfect Squares & Perfect Cubes

#### Review Tip:

I. To “un-square” a number, you must take the square root. [Example:  $3^2 = 9$  therefore  $\sqrt{9} = 3$ ]

II. To “un-cube” a number, you must take the cube root [Example:  $5^3 = 125$  therefore  $\sqrt[3]{125} = 5$ ]

#### Practice Problems:

❺ Evaluate:  $\sqrt{100}$

- A. 10
- B. 50
- C. 25
- D. 98

❻ Evaluate:  $\sqrt[3]{64}$

- A. 10
- B. 8
- C. 21.3
- D. 4

❼ Find the value of x:

$$x^2 = 16$$

- A.  $\pm 4$
- B.  $\pm 8$
- C. 4
- D. 8

❽ Find the value of x:

$$x^3 = -8$$

- A.  $\pm 4$
- B.  $\pm 2$
- C. -2
- D. -4

## Scientific Notation

MGSE8.EE.3 – Writing in Scientific Notation

MGSE8.EE.4 – Operations in Scientific Notation

### Review Tips:

I. Numbers written in scientific notation must have only one number (1 – 9) in front of the decimal place.

[Correct Example:  $3.45 \times 10^6$  Incorrect Example:  $34.5 \times 10^6$ ]

II. Numbers with **positive exponents** are very large numbers (greater than 1) [Example:  $3.45 \times 10^6 = 3,450,000$ ]

III. Numbers with **negative exponents** are very small numbers (less than 1) [Example:  $3.45 \times 10^{-6} = 0.0000345$ ]

IV. To multiply or divide numbers expressed in scientific notation, combine the coefficients first and the powers of ten second. Put in proper format if necessary.

[Example:  $(2.1 \times 10^4) \times (9 \times 10^5) = (2.1 \times 9) \times (10^4 \times 10^5) = 18.9 \times 10^9 = 1.89 \times 10^{10}$ ]

V. To add or subtract numbers in scientific notation, re-write the numbers in standard form, combine, and put back in scientific notation. [Example:  $(2.1 \times 10^4) + (9 \times 10^5) = 21,000 + 900,000 = 921,000 = 9.21 \times 10^5$ ]

VI. Adjusting an answer to “perfect” scientific notation:

i. Too big? Move the decimal and **ADD** to the exponent. [Example:  $23.8 \times 10^4 = 2.38 \times 10^5$ ]

ii. Too small? Move the decimal and **SUBTRACT** from the exponent. [Example  $0.238 \times 10^9 = 2.38 \times 10^8$ ]

VI. Standard calculators will represent a power of ten by using an “E”.

[Example:  $3.45 \times 10^8$  on a calculator would read 3.45 E 8]

### Practice Problems:

❶ What is  $6.79 \times 10^5$  written in standard form?

A. 67,900,000

B. 679,000

C. 0.00000679

D. 0.0000679

❷ The width of a human hair is approximately 0.0002 in. What is this width written in scientific notation?

A.  $2 \times 10^3$  in.

B.  $2 \times 10^{-3}$  in.

C.  $2 \times 10^4$  in.

D.  $2 \times 10^{-4}$  in.

❸ Evaluate:  $(6.7 \times 10^4) \times (9.1 \times 10^6)$

A.  $6.097 \times 10^{11}$

B.  $6.097 \times 10^{10}$

C.  $6.097 \times 10^9$

D.  $60.97 \times 10^{10}$

❹ How many times larger is  $(5.4 \times 10^6)$  than  $(9 \times 10^3)$ ?

A.  $0.6 \times 10^3$

B.  $6 \times 10^3$

C.  $6 \times 10^2$

D.  $6 \times 10^4$

❺ Subtract:  $(3.4 \times 10^5) - (2.1 \times 10^4)$

A.  $3.19 \times 10^3$

B.  $3.19 \times 10^5$

C.  $1.3 \times 10^1$

D.  $1.3 \times 10^5$

❻ Add:  $12,000 + (3.4 \times 10^5)$

A.  $4.6 \times 10^5$

B.  $4.6 \times 10^9$

C.  $3.52 \times 10^5$

D.  $3.52 \times 10^3$

❼ Which value would be the most likely measurement of the distance from the earth to the moon?

A.  $1.3 \times 10^9$  ft.

B.  $1.3 \times 10^{100}$  ft.

C.  $1.3 \times 10^{-9}$  ft.

D.  $1.3 \times 10^2$  ft.

❽ The display on a calculator reads 9.378 E -5. Which value does this represent?

A. 937,800,000

B. 937,800

C. 0.00009378

D. 0.000009378